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CORRIGENDUM ON THE PAPER "AN APPLICATION OF ALMOST INCREASING AND $\delta-$QUASI-MONOTONE SEQUENCES" PUBLISHED IN JIPAM, VOL.1, NO.2. (2000), ARTICLE 18

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ABSTRACT. This paper is a corrigendum on a paper published in an earlier volume of JIPAM, 'An application of almost increasing and $\delta-$quasi-monotone sequences' published in JIPAM, Vol.1, No.2. (2000), Article 18.

Key words and phrases: Almost Increasing Sequences, Quasi-monotone Sequences, Absolute Summability Factors, Infinite Series.

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In my paper [1], we need an additional condition in Theorem 2.1 and Lemma 2.3. The new statements of Theorem 2.1 and Lemma 2.3 should be given as follows:

Theorem 1. *Let (X_n) be an almost increasing sequence such that $|\Delta X_n| = O(X_n/n)$ and $\lambda_n \to 0$ as $n \to \infty$. Suppose that there exists a sequence of numbers (A_n) such that it is $\delta-$quasi-monotone with $\sum n\delta_n X_n < \infty$, $\sum A_n X_n$ is convergent and $|\Delta\lambda_n| \leq |\Delta A_n|$ for all n. If the other conditions of Theorem 2.1 are satisfied, then the series $\sum a_n\lambda_n$ is summable $\mid \bar{N}, p_n \mid_k$, $k \geq 1$.*

Lemma 2. *Let (X_n) be an almost increasing sequence such that $n\,|\Delta X_n| = O(X_n)$. If (A_n) is $\delta-$quasi-monotone with $\sum n\delta_n X_n < \infty$, $\sum A_n X_n$ is convergent, then*

$$nA_nX_n = O(1),$$

$$\sum_{n=1}^{\infty} nX_n|\Delta A_n| < \infty.$$

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The proof of Lemma 2 is similar to the proof of Theorem 1 and Theorem 2 of Leindler ([2]) and we omit it.

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[2] L. LEINDLER, Three theorems connected with $\delta-$quasi-monotone sequences and their application to an integrability theorem , *Publ. Math.* (Debrecen), **59** (2002) (to appear).