

データベースビューサポートシステムに必要な  
マン・マシン・インタラクションについて

東北大学 電気通信研究所  
増永良文

1. Introductory Remarks

In the relational database systems, it tends to support views for giving users a database macro facility (STON75) and providing system designers with a tool of authorization and security (CHAM75). Usually, a view is defined as a virtual relation which is derived from the base relations, i.e. the stored relations by using certain view defining operations such as the relational algebra operations. Obviously, no difficult problem arises so long as the views are offered to users to retrieve data. However, when the users want to update them, i.e. to delete, insert and rewrite them, then the difficult problems arise and sometimes it is impossible to update them (CODD74). The reason is that a view is generally virtual, so that an update to it is only effected if and only if it is translatable into updates to the base relations, which translation must satisfy certain criteria discussed below. At present, because of the difficulty of the view update translation problem, very restricted type of views such as the views composed of not more than one stored relation, for example, is only supported for updates in a commercial system (IBM81).

Now, let  $R(A_1, A_2, \dots, A_n)$  be a relation which is defined as a subset of the direct product  $\text{dom}(A_1) \times \text{dom}(A_2) \times \dots \times \text{dom}(A_n)$  of  $n$  attributes domains. By  $\text{att}(R)$ , we denote a set of all attributes  $\{A_1, A_2, \dots, A_n\}$  of  $R$ . In our framework, a view is defined as follows: (1) A base relation is a view. (2) Let  $V$  be a view. Then the projection of  $V$  on  $X (\subseteq \text{att}(V))$ , denoted by  $V[X]$ , and the  $\theta$ -restriction of  $V$  on  $X, Y (\subseteq \text{att}(V))$ , denoted by  $V[X \theta Y]$ , are views which are called a projection view and a  $\theta$ -restriction view respectively where  $\theta$  denotes any of the relations

$=$ ,  $\neq$ ,  $<$ ,  $\leq$ ,  $>$  and  $\geq$ . (3) Let  $V$  and  $W$  be views. Then the direct product  $V \times W$ , the union  $V \cup W$ , and the difference  $V - W$  are views which are called a direct product view, a union view and a difference view respectively. (4) A relation is called a view if and only if it is derived by the derivation rules (1), (2), and (3). For example, a view  $ERP(EMP, ROOM_E, PHONE)$  is derived from two base relations  $ER(EMP, ROOM_E)$  and  $RP(ROOM_P, PHONE)$  as follows:  $ERP = ((ER \times RP)[ROOM_E = ROOM_P])[EMP, ROOM_E, PHONE]$ , where  $E$  and  $P$  are subscripted to  $ROOM$  to distinguish that  $ROOM_E$  and  $ROOM_P$  are  $ROOM$ s which belong to  $ER$  and  $RP$  respectively. Figure 1 shows the instances, i.e. the present value of the relations, of the view  $ERP$ , the base relations  $ER$  and  $RP$ , and the intermediate views  $W_1 = ER \times RP$  and  $W_2 = W_1[ROOM_E = ROOM_P]$ . (The reader will be noticed that  $ERP$  is the natural join of  $ER$  and  $RP$ , which definition is given in our framework.)

## 2. View Update Translation Problem.

As noticed in the previous section, the updates to views are only effected if they are translatable into updates to the base relations in that the translation must satisfy certain correctness criteria in order to avoid update anomalies. Our criteria are as follows (MASU82): (a) No extra update happens in the view by the translation. (b) No extraneous update happens in the base relations by the translation. (c) No semantic ambiguity happens in the translation process. That is, the criterion (a) prescribes that, for example, the insertion of only one tuple  $(e5, r1, p1)$  to the view  $ERP$  should not be accepted because otherwise an extra tuple  $(e5, r1, p2)$  will be inserted. The criterion (b) prescribes that, for example, the deletion of a set of tuples  $\{(e1, r1, p1), (e1, r1, p2)\}$  from  $ERP$  should be translated into the deletion of a tuple  $(e1, r1)$  from  $ER$  and should not be translated into any others. The criterion (c) restrains the occurrence of the semantic anomaly in the updated database. For example, the deletion of a set of tuples  $D_0 = \{(e1, r1, p1), (e1, r1, p2), (e2, r1, p1), (e2, r1, p2)\}$  from  $ERP$  is translatable into one of the following three deletions each of which satisfies the criteria (a) and (b): (i) The deletion of a set of tuples  $\{(e1, r1), (e2, r1)\}$  from  $ER$ , (ii) the deletion of a set of tuples  $\{(r1, p1), (r1, p2)\}$  from  $RP$ , or (iii) the both deletions. Notice, however, that the semantics of those three deletions differ each other and therefore the updated database becomes to have different semantics. (That is, (i), (ii) and (iii) correspond to the facts that the deletion is issued because (i) the employees  $e1$  and  $e2$  have left the room  $r1$ , (ii) the phones  $p1$  and  $p2$  have

been removed from the room  $r_1$ , and (iii) both happened respectively.)

Now, we investigate how the translation of an update to a generally defined view can be done which satisfies the above three criteria. First, Table 1 summarizes the translatability of updates to five basic views which are the direct product view, the union view, the difference view, the projection view, and the  $\theta$ -restriction view (MASU82). It should be mentioned that (1) the semantic ambiguity problem<sub>1</sub> (SAP<sub>1</sub> for short) should be solved when the translation of a deletion to a difference view is tried, (2) the semantic ambiguity problem<sub>2</sub> (SAP<sub>2</sub> for short) should be solved when the translation of an insertion to a union view is tried, and the unique extrapolation problem (UEP for short) should be solved when the translation of an insertion to a projection view is tried. These problems essentially need man-machine interaction to be solved, and it is discussed in more detail in the next section. However, before going to the next section, we must overview our approach to built an entire view update translation mechanism: First, we recognize that the translation rules given in Table 1 are "local" in the sense that they dominate only an update translation from a node into its direct descendant node(s). (The reader can easily see that a generally defined view is represented as a tree, we call it a view defining tree, with the view at the root and the base relations necessary to define it at leaves.) Now, if all the local translations of a given view update are successful, then the view update is obviously realizable. But, notice that this translation scheme gives only a sufficient condition for the translatability of an update to a generally defined view (MASU80a, 82). In order to show a necessary and sufficient condition for it, we need the update modification rule which allows to modify a presently not translatable update to an intermediate view, i.e. a relation which is neither a view nor a leaf, so that it is translatable by a local rule, with the restriction that the intermediate view should be used to define a  $\theta$ -restriction view as its direct ancestor. In order to deepen our understanding of this rule, let us think about the case in which the deletion  $D_0$  (this is defined previously) is issued to the view ERP. First, it is easy to see that  $D_0$  is translatable into the deletion  $D_1$  to  $W_2$  where  $D_1 = \{(e_1, r_1, r_1, p_1), (e_1, r_1, r_1, p_2), (e_2, r_1, r_1, p_1), (e_2, r_1, r_1, p_2)\}$  by Rule D-4. Second,  $D_1$  becomes as it is the deletion to  $W_1$ , which we name  $D_2$  anew, by Rule D-5. Third, we now recognize that the local translation of  $D_2$  is impossible because the cross reference condition, which is a syntactic condition stating that  $W_1 - D_2$  should be again a direct product, does not hold

for  $W_1 - D_2$ . The point is that it is hasty to judge that the translation of  $D_0$  becomes impossible. That is, because  $W_1$  is an intermediate view and only a subset of it, i.e. a set of tuples each of which has the equal  $ROOM_E$  and  $ROOM_P$  values, constitutes the direct ancestor  $W_2$ , it is possible to modify  $D_2$  to  $D_3$  such that (a)  $D_3 \supset D_2$ , (b)  $D_3 \cap W_2 = D_2$ , and (c)  $W_1 - D_3$  satisfies the cross reference condition. For example, let us modify  $D_2$  to  $D_3 = D_2 \cup \{(e1, r1, r2, p3), (e1, r1, r2, p4), (e2, r1, r2, p3), (e2, r1, r2, p4)\}$ . Then  $D_3$  becomes translatable into the deletion  $D_4 = \{(e1, r1), (e2, r1)\}$  to the base relation ER by Rule D-1. It is easy to see that this translation can realize the intended deletion  $D_0$  to ERP. We call such a rule the deletion modification rule. (The insertion modification rule can also be definable.)

Now it happens a problem which we call the semantic ambiguity problem<sub>3</sub> (SAP<sub>3</sub> for short). That is, although we modified  $D_2$  to  $D_3$ , there are yet other ways to modify it. For example, we can modify it to  $D_3' = D_2 \cup \{(e3, r2, r1, p1), (e3, r2, r1, p2), (e4, r2, r1, p1), (e4, r2, r1, p2)\}$  or even  $D_3'' = D_3 \cup D_3'$ . Obviously,  $D_3'$  is translatable into the deletion  $D_4' = \{(r1, p1), (r1, p2)\}$  to RP and  $D_3''$  is translatable into both  $D_4$  and  $D_4'$ . Other modifications are not possible due to the translation criterion (b). Now, which one of the three modification alternatives should be chosen? This is important because these have completely different semantics in the sense that modifying  $D_2$  to either  $D_3$  or  $D_3'$  or  $D_3''$  must correspond to the following three facts, i.e. (i) the employees e1 and e2 have left the room r1, (ii) the phones p1 and p2 have been removed from the room r1, or (iii) both happened respectively. In order to satisfy the translation criterion (c), we need to dissolve this ambiguity, i.e. to solve SAP<sub>3</sub>. (Notice that the translation ambiguity of  $D_0$  investigated at the beginning of this section comes from this ambiguity.)

### 3. Solvability of Four Problems with Relation to Man-Machine Interaction.

As it was mentioned before, the translatability of a view update completely depends on the solvability of SAP<sub>1</sub>, SAP<sub>2</sub>, SAP<sub>3</sub> and UEP which essentially require man-machine interactions in certain case. We will examine each of the four problems in turn and consolidate the basis of designing a view update translator involving man-machine interaction.

First, SAP<sub>1</sub> occurs in translating a deletion D issued to a difference view  $V = R - S$ . (R and S are union-compatible relations (CODD72).) That is, a deletion of a tuple t from V could be realized either by (i) deleting t from R, or (ii) inser-

ting  $t$  to  $S$ , or (iii) doing both (i) and (ii). Of course, the arbitrary choice should not be done because of the translation criterion (c). In some case, we can dissolve this ambiguity using extra semantic information. For example, when  $R$  is a relation of all employees of a company and  $S$  is a relation of all female employees of the company, then, by taking into account the fact that a man is either male or female, we can derive that every tuple deletion to  $R - S$  should always be translated into the deletion to  $R$ . However, let us think about another case in which  $R$  is defined as a set of all employees owning a Toyota car, and  $S$  is defined as a set of all employees owning a Datsun car. Then, when a deletion of an employee  $e$  from  $R - S$  is issued, we must identify the fact existing behind the deletion in order to dissolve the translation ambiguity, which is either (i)  $e$  has sold all  $e$ 's Toyota cars without purchasing any Datsun car, or (ii)  $e$  has purchased a Datsun car without selling any  $e$ 's Toyota car, or (iii)  $e$  has purchased a Datsun car with selling all  $e$ 's Toyota car. Now the reader will see it easily that this soft of ambiguity may not be dissolved without involving man-machine interaction.

Second,  $SAP_2$  occurs in translating an insertion to a union view. That is, let us define  $R$  and  $S$  as the relations of Japanese novels and American novels respectively, and suppose that the insertion of a book entitled "The house of the seven gables" is issued to  $R \cup S$ . Then, it is clear that we can not realize the insertion without identifying either the novel is a Japanese one or an American one, which identification will need man-machine interaction.

Third,  $SAP_3$  occurs when we modify an intermediate update to a certain intermediate view. This problem has already mentioned in certain details in the previous section, and therefore omitted here.

Last, UEP occurs in translating an insertion to a projection view. That is, in order to realize the insertion of a tuple  $t$  to a projection view  $R[X]$ , where  $X \subseteq \text{att}(R)$ , we must find out a unique set of tuples  $U = \{u \in \text{dom}(R)\}$  such that for every  $u$  in  $U$ ,  $u[X] = t$  and the insertion of  $U$  to  $R$  is possible. (The number of such  $U$  must be at most one because otherwise the translation criterion (c) will be violated.) In certain cases, UEP can be solved easily. For example, in our translation example shown in the previous section, the insertion of  $(e, r, p)$  to  $W_2$  is straightforwardly translatable into the insertion of  $(e, r, r, p)$  to  $W_1$  by using the semantic information which comes from the syntactic nature of  $W_1$  such that every tuple of  $W_1$  has the identical  $ROOM_E$  value with  $ROOM_P$  value. However, in general, if we want to solve UEP, then it is not difficult to see that man-machine interaction will again be necessary, and may be it involves the null value

issue of the relational database which is not yet solved completely.

#### 4. View Update Translator Design.

Now, Figure 2 illustrates the organization of the relational view update translator, which we propose. A complementary explanation is given below: (a) The system is hierarchically structured. Users sit at the top of the system and  $I_1$  is the system manager by whom user requests to define views, or to update them, or the user answers to the questions issued by the view update translation manager will be translated into either the view manager or the view update translation manager.  $I_2$  and  $I_4$  are the front ends of the syntactic information base manager and  $I_3$  and  $I_5$  are the front ends of the semantic information base manager. (b) The view manager involves the view generator and the syntactic to semantic view information manager. The former analyzes the user definition of a view and generates the instance of the view and the view defining tree. The syntactic to semantic view information translator analyzes the view defining tree and extracts a certain semantic information. (An example of such information is that the  $ROOM_E$  value is always identical with the  $ROOM_P$  value for every tuple in  $W_2$ , which will be used by UEP later on.) (c) The view update translation manager involves the local view update translator and the global view update translator. In processing the local translation,  $SAP_1$  solver,  $SAP_2$  solver and UEP solver will be called, and in controlling the global translation,  $SAP_3$  solver will be called. (d) In the syntactic information base, the information about the base relations and the local view update translation rules is stored. On the other hand, in the semantic information base, both the information which is extracted by the syntactic to semantic view information translator and the semantic information such as that the car type number 910 is a Datsun one, while 325 is a Mazda one, which will be obtained in the course of man-machine interaction, will be stored.

#### 5. Concluding Remarks.

In this paper, we investigated the translatability of view updates in a relational database system with relation to man-machine interaction and illustrate the organization of the view update translator which inevitably involves the man-machine interaction. However, in order to make our design more concrete, we need further investigation of (i) the problem solving mechanism of the solver, (ii) the data structure of the semantic information base, and (iii) the specifi-

cation of languages such as the end user language, the system description language, and the data (or information) manipulating languages.

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ER:	<u>EMP</u>	<u>ROOM<sub>E</sub></u>	RP:	<u>ROOM<sub>P</sub></u>	PHONE	W <sub>2</sub> :	<u>EMP</u>	<u>ROOM<sub>E</sub></u>	<u>ROOM<sub>P</sub></u>	PHONE
	e1	r1		r1	p1		e1	r1	r1	p1
	e2	r1		r1	p2		e1	r1	r1	p2
	e3	r2		r2	p3		e2	r1	r1	p1
	e4	r2		r2	p4		e2	r1	r1	p2
							e3	r2	r2	p3
							e3	r2	r2	p4
							e4	r2	r2	p3
							e4	r2	r2	p4

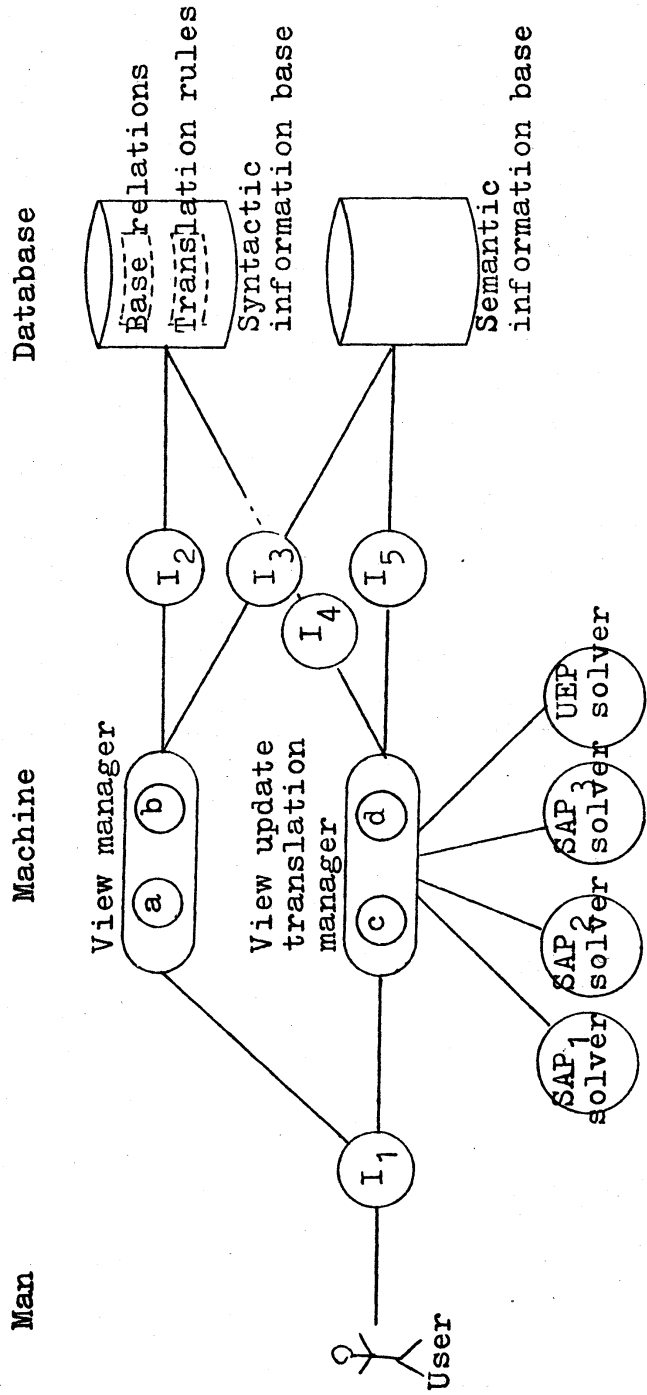
W <sub>1</sub> :	<u>EMP</u>	<u>ROOM<sub>E</sub></u>	<u>ROOM<sub>P</sub></u>	PHONE
	e1	r1	r1	p1
	e1	r1	r1	p2
	e1	r1	r2	p3
	e1	r1	r2	p4
	e2	r1	r1	p1
	e2	r1	r1	p2
	e2	r1	r2	p3
	e2	r1	r2	p4
	e3	r2	r1	p1
	e3	r2	r1	p2
	e3	r2	r2	p3
	e3	r2	r2	p4
	e4	r2	r1	p1
	e4	r2	r1	p2
	e4	r2	r2	p3
	e4	r2	r2	p4

ERP:	<u>EMP</u>	<u>ROOM<sub>E</sub></u>	PHONE
	e1	r1	p1
	e1	r1	p2
	e2	r1	p1
	e2	r1	p2
	e3	r2	p3
	e3	r2	p4
	e4	r2	p3
	e4	r2	p4

Figure 1. Instances of ER, RP, W1, W2 and ERP.





- a : View generator
- b : Syntactic to semantic view information translator
- c : Local view update translator
- d : Global view update translator

Figure 2. The Organization of the View Update Translator.

Table 1. The Translation Rules of Deletion and Insertion to Five Basic Views.

(1) Deletion D.

Type of Basic Views	Translation Rule
$V = R \times S$	If $V - D$ satisfies the cross reference condition, then translate $D$ to the deletion $(R - (V - D)[att(R)])$ to $R$ and the deletion $(S - (V - D)[att(S)])$ to $S$ <span style="float: right;">...(D-1)</span>
$V = R \cup S$	Translate $D$ to the deletion $D$ to $R$ and the deletion $D$ to $S$ . <span style="float: right;">...(D-2)</span>
$V = R - S$	If $SAP_1$ can be solved for every tuple in $D$ , then translate $D$ according to the result. <span style="float: right;">...(D-3)</span>
$V = R[X]$	Translate $D$ to the deletion $\{u \in R \mid \exists t \in D, u[X] = t\}$ to $R$ . <span style="float: right;">...(D-4)</span>
$V = R[X \theta Y]$	Translate $D$ to the deletion to $R$ as it is. <span style="float: right;">...(D-5)</span>

(2) Insertion I.

Type of Basic Views	Translation Rule
$V = R \times S$	If $V \cup I$ satisfies the cross reference condition, then translate $I$ to the insertion $(I[att(R)] - R)$ to $R$ and the insertion $(I[att(S)] - S)$ to $S$ . <span style="float: right;">...(I-1)</span>
$V = R \cup S$	If $SAP_2$ can be solved for every tuple in $I$ , then translate $I$ according to the result. <span style="float: right;">...(I-2)</span>
$V = R - S$	Translate $I$ to the insertion $I$ to $S$ and the deletion $I$ to $S$ . <span style="float: right;">...(I-3)</span>
$V = R[X]$	If $UEP$ can be solved, then translate $I$ according to the result. <span style="float: right;">...(I-4)</span>
$V = R[X \theta Y]$	If $t[X] \theta t[Y]$ holds for every tuple $t$ of $I$ , then translate $I$ to the insertion to $R$ as it is. <span style="float: right;">...(I-5)</span>