Intelligence of Low-dimensional Topology

RIMS 共同研究（公開型）報告集

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研究代表者　大槻　知忠 (Tomotada Ohtsuki)

研究代表者　渡邉　忠之 (Tadayuki Watanabe)

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Erratum to "Construction and manipulation of Seifert surfaces in knot theory (a note in 2023)"

Mikami Hirasawa
Nagoya Institute of Technology

Fig. 1(3) was wrong and should be replaced with the knot diagram $12n526$ in KnotInfo [1]. The following is the correct version of Fig. 1.

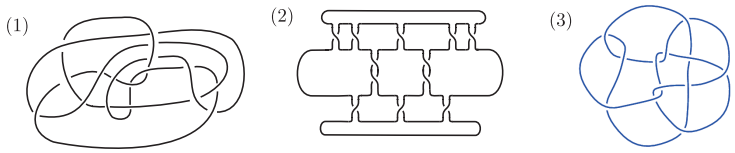

Figure 1: Make a 17 crossing diagram into a symmetric diagram with 12 crossings

The text itself is not affected. In Fig. 14, we showed a scheme to deform the knot diagram in Fig. 1(1) into that in Fig. 1(2), which is detected to be the knot $12n526$.

References

[1] C. Livingston and A. H. Moore, KnotInfo: Table of Knot Invariants, URL: `knotinfo.math.indiana.edu`

Nagoya Institute of Technology
Nagoya City Aichi 466-8555 JAPAN
E-mail address: hirasawa.mikami@nitech.ac.jp

名古屋工業大学　平澤 美可三