(1.) In lines 4–5 of the third paragraph of the discussion entitled “The Étale Fundamental Group of a Log Scheme” in §0, the phrase “unramified over $R_o$” should read “unramified over $U_{S_o}$”.

(2.) In Fig. 1, the subscripts “b”, “c” in the notation “$F_b$”, “$F_c$” should be reversed.

(3.) In the statement of Proposition 1.3, (i), the phrase “the set of divisors $D_n^\text{ver}$ which” should read “the set of divisors which”; the notation “$\delta \in D_n^\text{hor}$” should read “$\delta \in D_n^\text{ver}$”.

(4.) In the statement of Proposition 1.3, (iv), the notation “$D_n^\text{hor}$” should read “$D_n^\text{ver}$”.

(5.) In the first paragraph of the proof of Corollary 1.14, the text “First, let us ... Now let” should read as follows:

First, let us observe that relative to the natural isomorphism $X_n^{\log} \sim (\mathcal{M}_{0,n+3}^{\log})_k$ [cf. Definition 1.1, (vi)], the divisors of $X_n$ that belong to $D_n$ are precisely the divisors at infinity of $\mathcal{M}_{0,n+3}^{\log}$. [Indeed, this follows immediately from the well-known geometry of $(\mathcal{M}_{0,n+3}^{\log})_k$.] In particular, the automorphisms of $\mathcal{M}_{0,n+3}^{\log}$ arising from the permutations of the ordering of the cusps permute the divisors that belong to $D_n$. Thus, we conclude that the outer modular symmetries $\in \text{Out}(\Pi_n)$ normalize $\text{Out}^{QS}(\Pi_n) = \text{Out}^{FC}(\Pi_n)^{\text{cusp}}$ [cf. Proposition 1.3, (vi), (vii)]. Now let

(6.) In Definition 5.2, (ii), the phrase “of $x$ in $\mathcal{U}$” should read “of $x$ in $\mathcal{N}$”.

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